

Lecture # 03: Wind Tunnels and Water Tunnels

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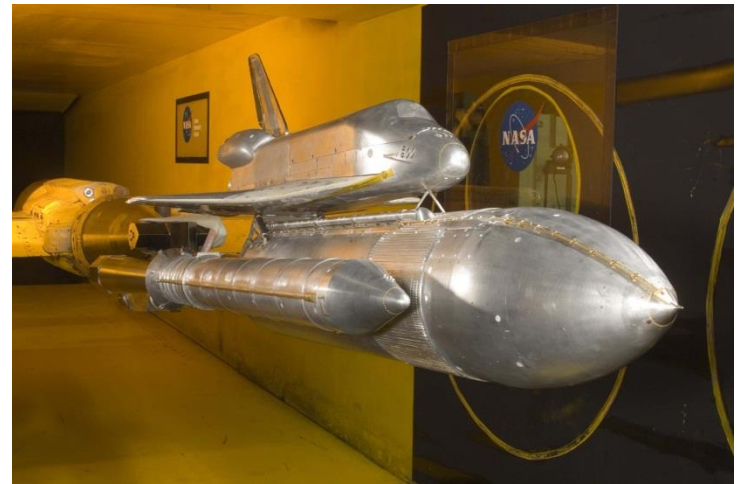
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Function of Wind Tunnels and Water Tunnels

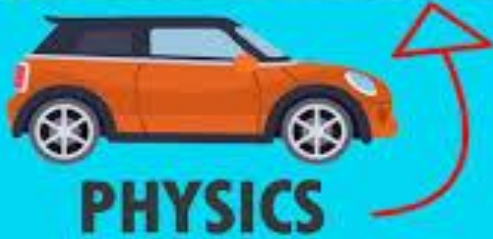
- Producing the desired flow field with controlled conditions



Relative Motion

REST AND MOTION ARE RELATIVE

RELATIVE MOTION

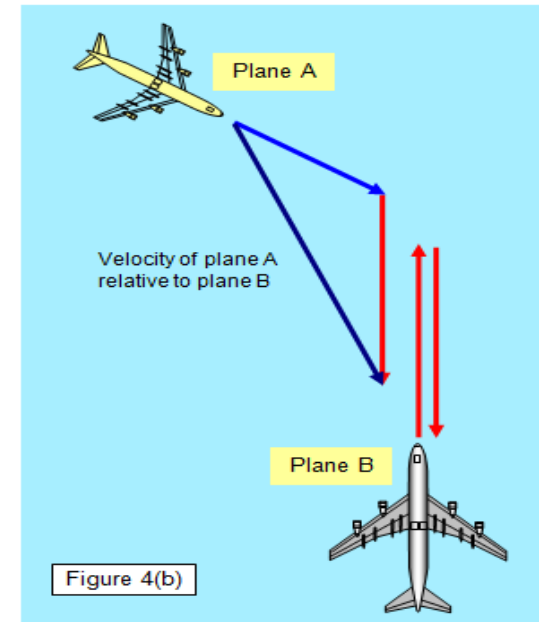
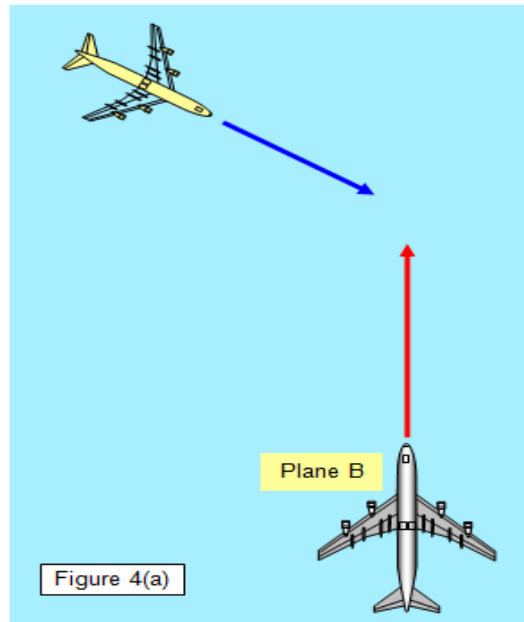
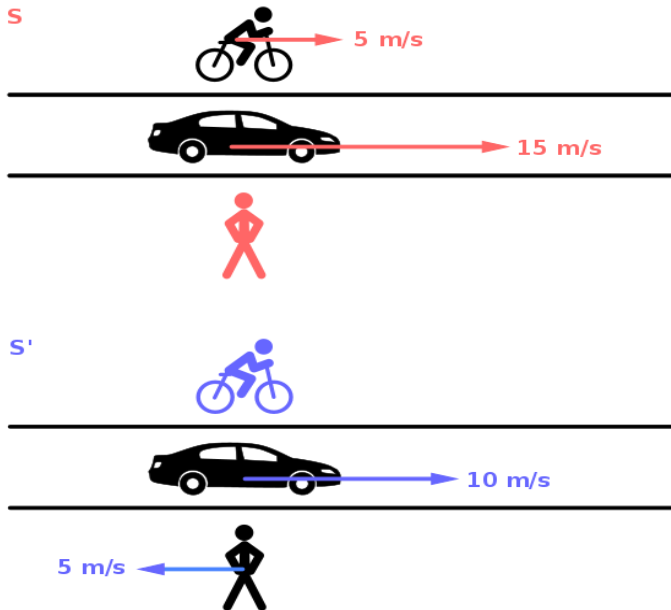


RELATIVE MOTION

Man is standing at ground observing airplane or moving car man is standing hence its coordinate is not changing its position is fixed so this reference frame is stationary, but every time coordinate of airplane is changing hence airplane is moving reference frame



- In classical physics and special relativity, **an inertial frame of reference** is a frame of reference that is not undergoing acceleration.



Types of Wind Tunnels

Based on Flow Speed:

- **Subsonic or low-speed wind tunnels ($M \ll 1.0$)**
- **Transonic wind tunnels ($M \approx 1.0$)**
- **Supersonic wing tunnels ($1.0 < M < 5.0$)**
- **Hypersonic wind tunnels ($M > 5.0$)**

$$\text{ratio} = \frac{\text{Object Speed}}{\text{Speed of Sound}} = \text{Mach Number}$$



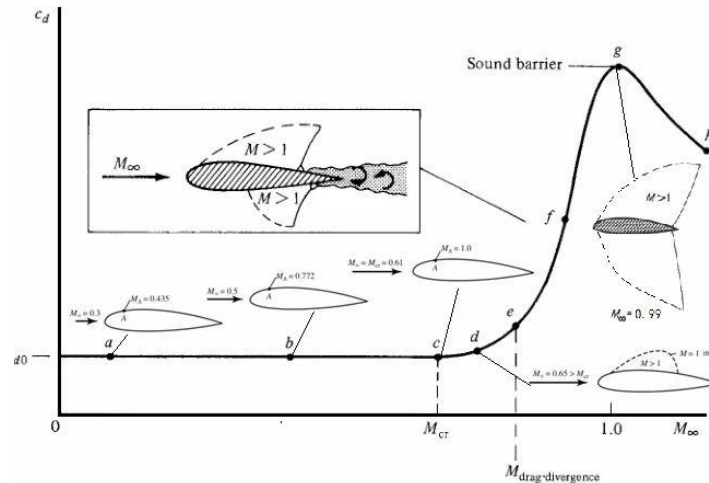
Transonic
Mach = 1.0



Supersonic
Mach > 1.0



Hypersonic
Mach > 5.0



sketch of the variation of profile drag coefficient with freestream Mach number, illustrating the critical and drag-divergence Mach numbers and showing the large drag rise near Mach 1.

Subsonic
Mach < 1.0

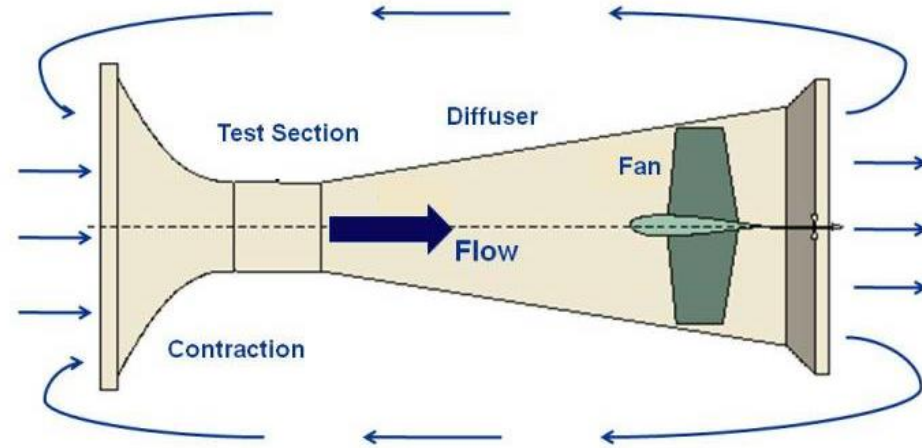
Types of Wind Tunnels

Based on Shape:

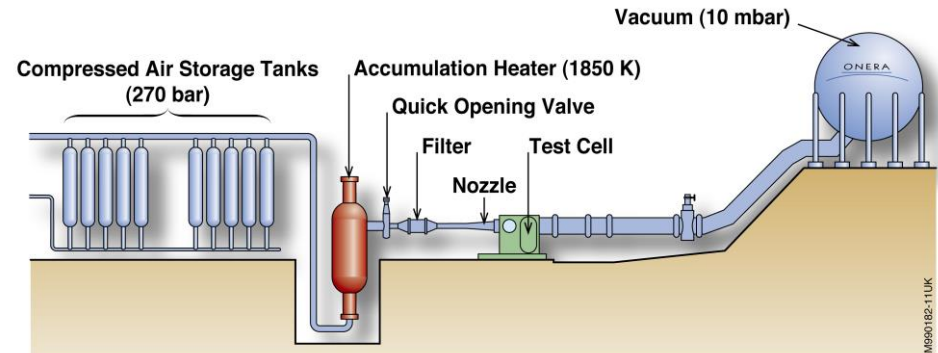
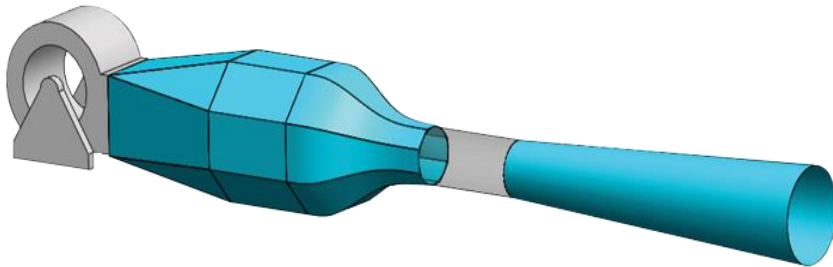
- **Open circuit wind tunnel:**



Open Return Wind Tunnel



- **Suction wind tunnel:** With the inlet open to atmosphere, axial fan or centrifugal blower is installed after test section.

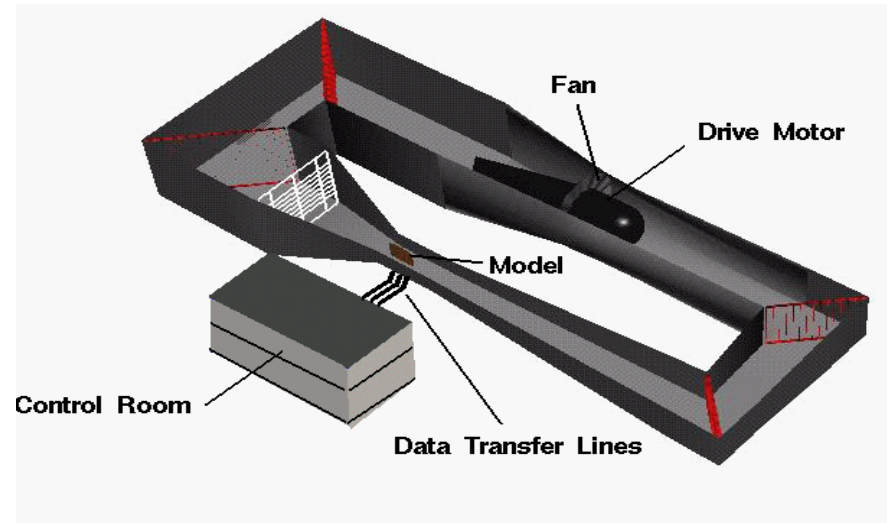
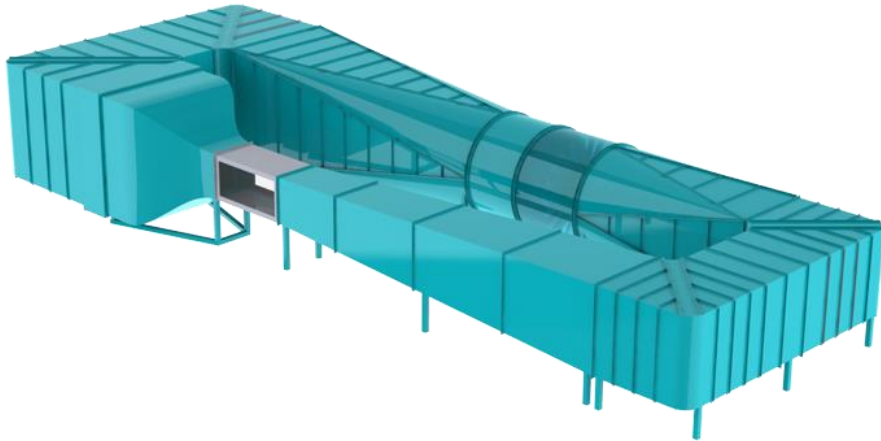


- **Blow down wind tunnel:** A blower is installed at the inlet of wind tunnel which throws the air into wind tunnel.

Types of Wind Tunnels

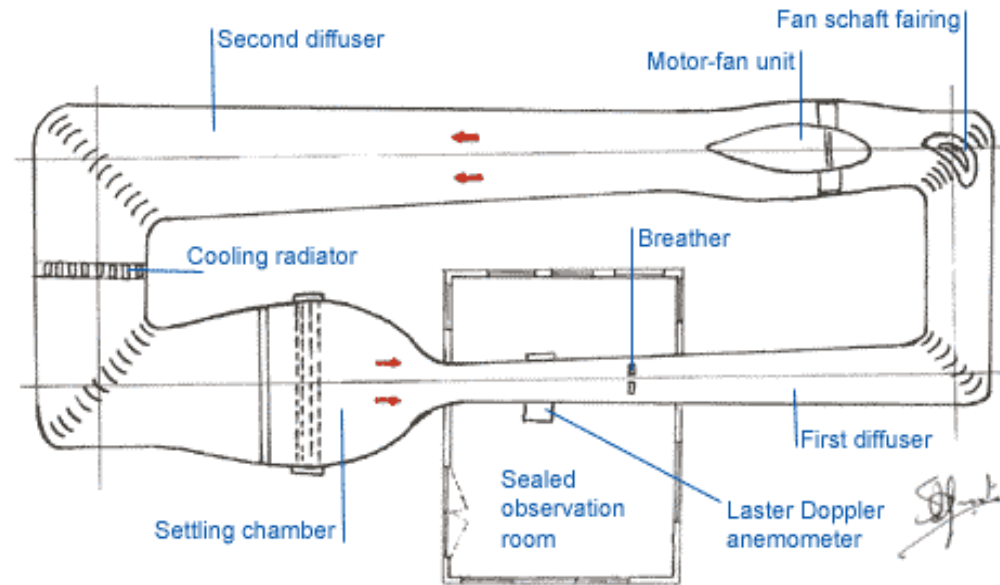
Based on Shape:

- **Close-circuit wind tunnel:**

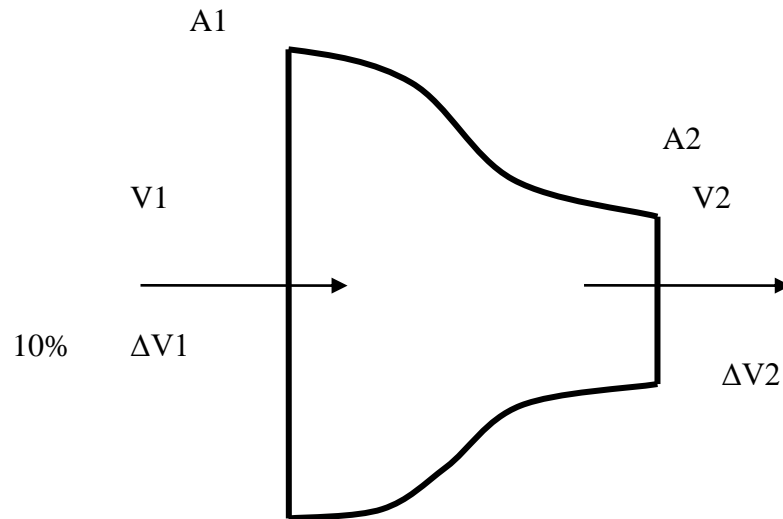


Components of a Closed-Looped Wind Tunnel

- *Test section*
- *Contraction section*
- *Diffuser section*
- *Setting chamber*
- *Screens and similar structures*
- *Cooling system / radiators*
- *Motors / fans*

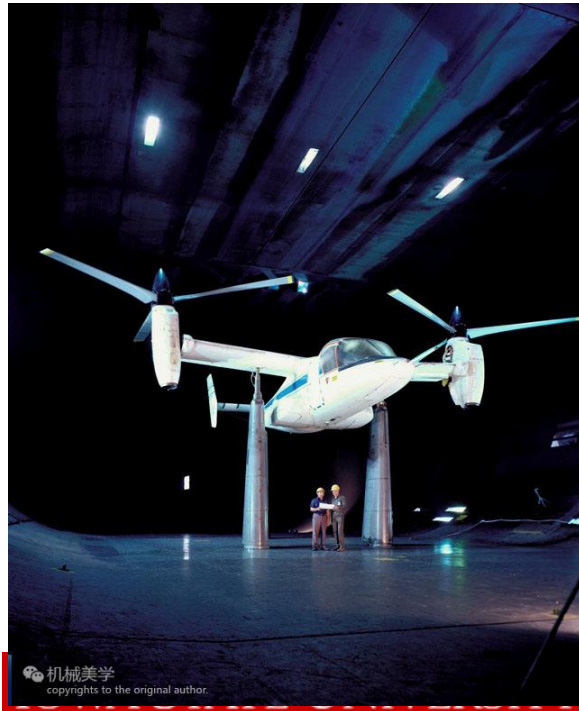


Function of Contraction



$$c_1 = \frac{A_1}{A_2} \quad \text{if} \quad \frac{\Delta V_1}{V_1} = 0.1 \quad \frac{\Delta V_2}{V_2} = \frac{1}{c^2} \frac{\Delta V_1}{V_1} = \frac{0.1}{100} = 0.001$$

NASA Ames Wind Tunnel (24.4m × 36.6m test section, 756W power)

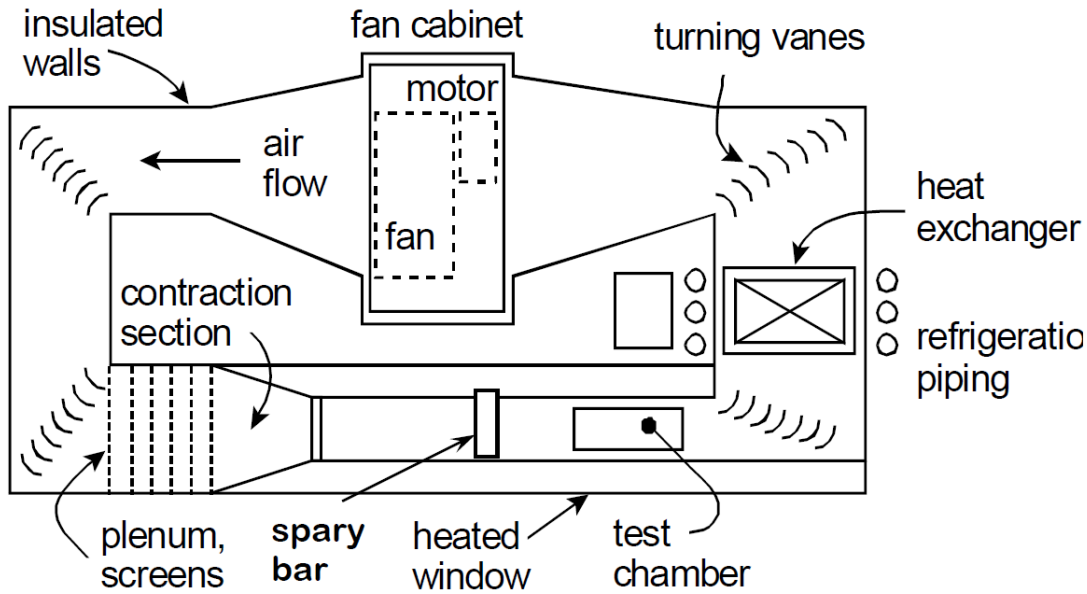


NASA Ames Wind Tunnel **(24.4m × 36.6m test section, 75GW power)**

NASA Ames Wind Tunnel

Testing in NASA Ames Wind Tunnel

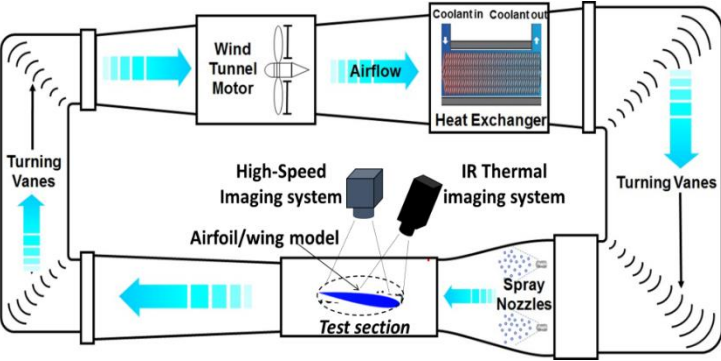
Icing Wind Tunnels



Icing Tunnel at NASA Glenn Center

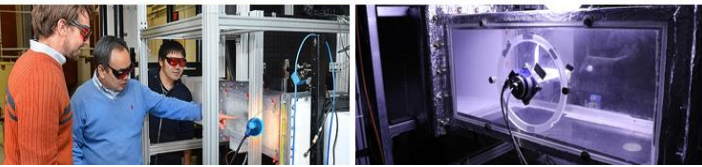
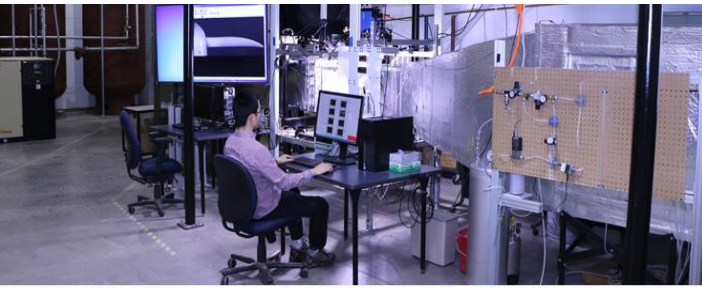


❏ ICING RESEARCH TUNNEL @ IOWA STATE UNIVERSITY (ISU-IRT)



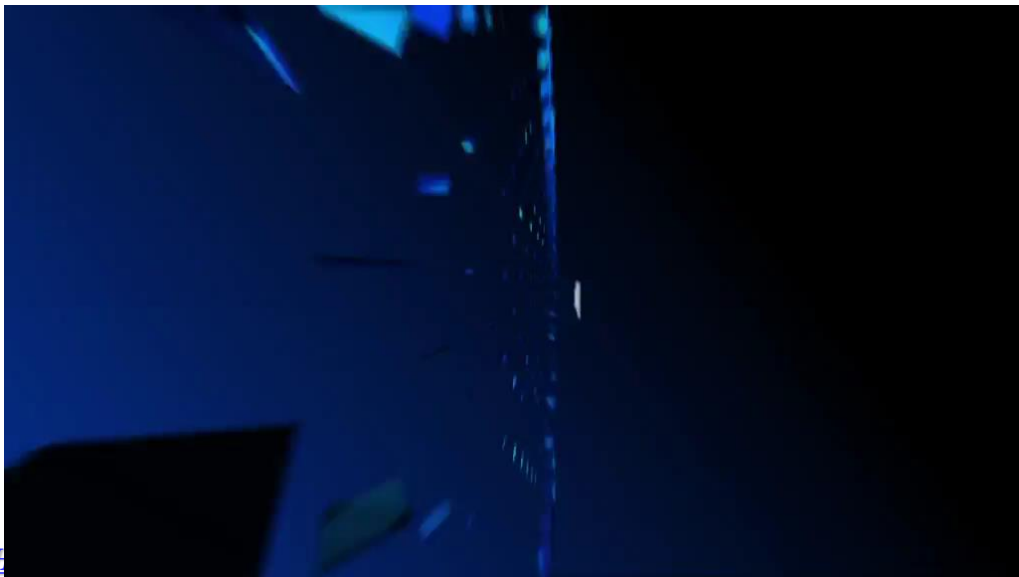
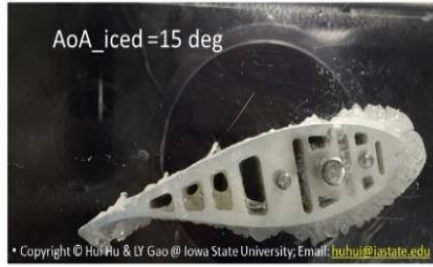
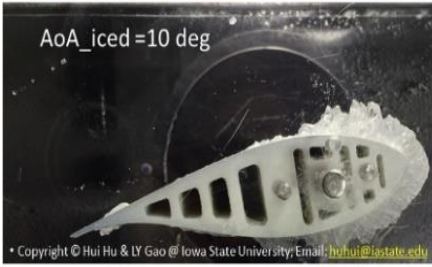
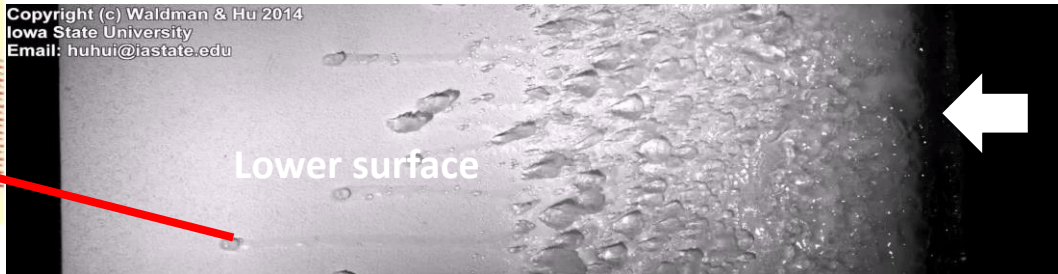
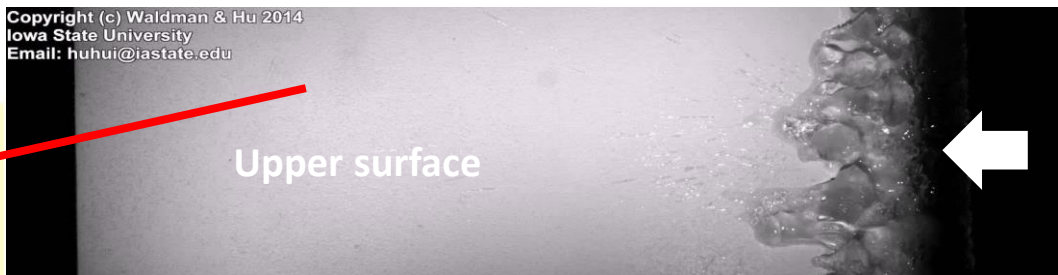
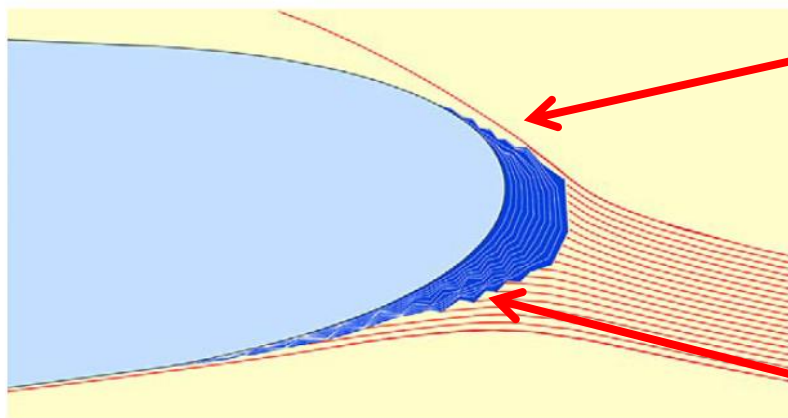
- **ISU Icing Research Tunnel (ISU-IRT)**, donated by Collins Aerospace System, is a new refurbished, research-grade multi-functional icing research tunnel.

- **The working parameters of the ISU-IRT include:**
 - **Test section:** $0.4\text{m} \times 0.4\text{m} \times 2.0\text{m}$
 - **Airflow velocity:** $V_{\infty} = 5 \sim 100 \text{ m/s};$
 - **Temperature:** $T_{\infty} = -25 \text{ }^{\circ}\text{C} \sim 20 \text{ }^{\circ}\text{C};$
 - **Droplet size:** $D_{\text{droplet}} = 10 \sim 100 \text{ }\mu\text{m};$
 - **Liquid Water Content:** $\text{LWC} = 0.1 \sim 10 \text{ g/m}^3$
- **The large LWC range allows ISU-IRT to be run over a wide range of conditions (i.e., from dry rime to wet glaze icing).**
- **We received ~\$4.0M in funded research in the past 5 years from NASA, NSF, FAA, NAVY, GE, P&W, UTAS, DuPont...**

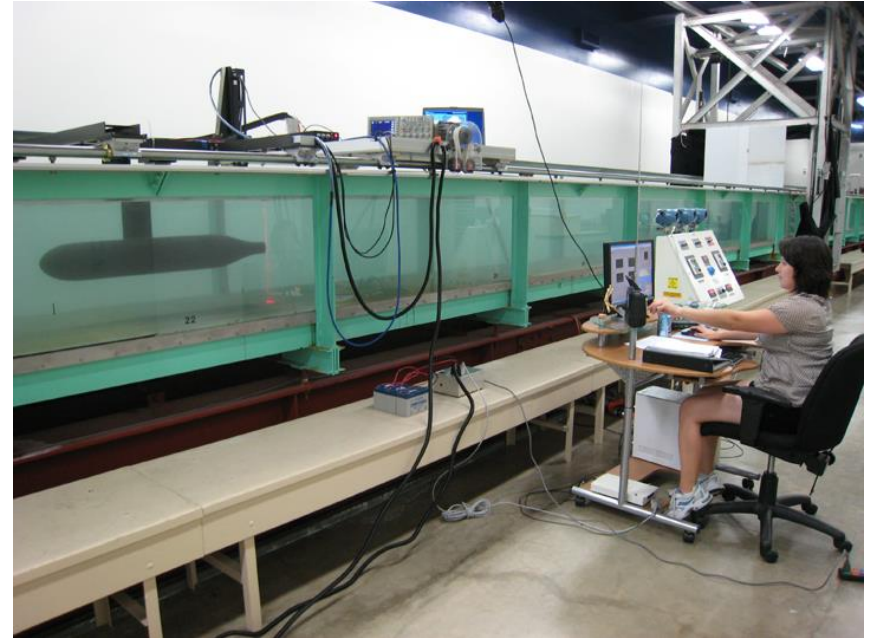


❑ ICING RESEARCH TUNNEL @ IOWA STATE UNIVERSITY (ISU-IRT)

- Icing is a very complex, multiphase flow problem coupled with heat transfer & phase changing.

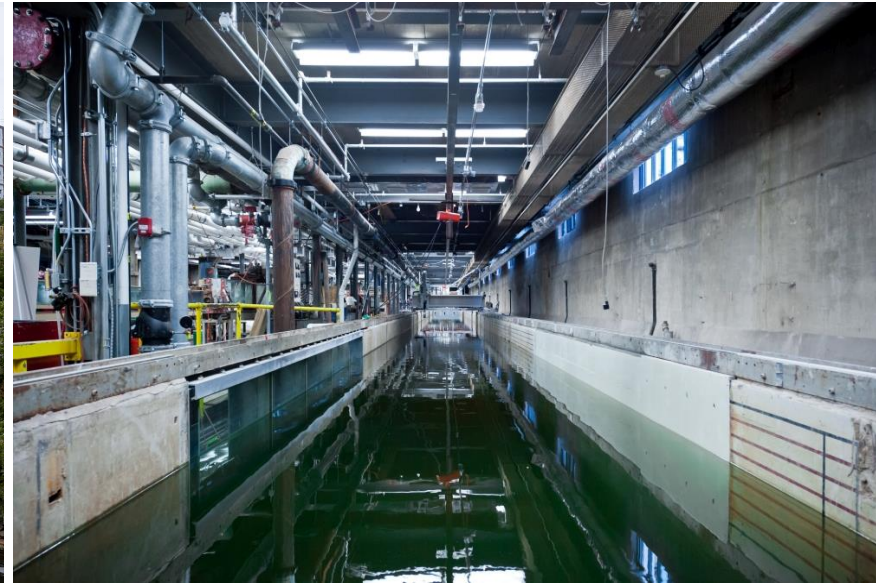


Water Tunnels



Water Tunnels

- Saint Anthony Falls Laboratory; University of Minnesota***



- Hydro science research laboratory at the University of Iowa***

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Hydroscience & Engineering

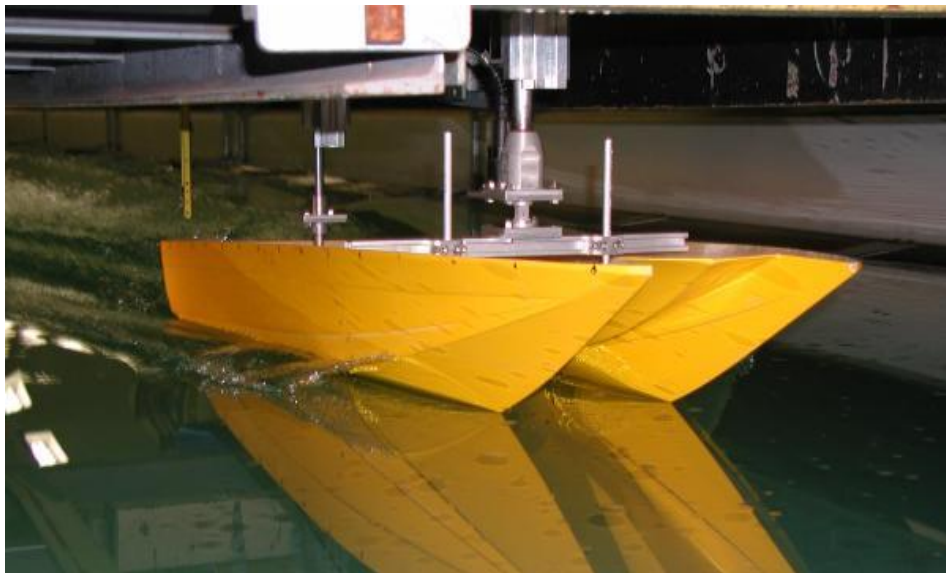
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Towing Tank



Lab#02: Wind Tunnel Calibration

$P_{0A} \neq P_{0E}$ in fact $P_{0A} > P_{0E}$

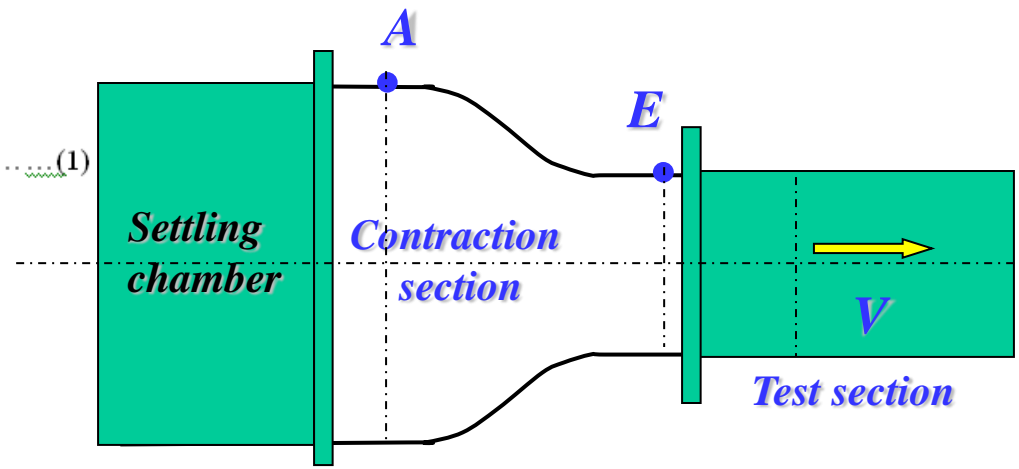
Where $P_{0A} = p_A + q_A = p_E + q_E + (P_{0A} - P_{0E})$ (1)

Define a total pressure loss coefficient by the relation

$$C_1 = \frac{P_{0A} - P_{0E}}{q_E}$$

Equation (1) can now be written as

$$p_A - p_E = q_E + C_1 q_E - q_A$$
(2)



If A_A , A_E and A_T are the areas of the different sections, then the conservation of mass principle can be written to relate the mass flow rates between the between the different sections as:

$$\rho_A V_A A_A = \rho_E V_E A_E = \rho_T V_T A_T$$

Low speed flows can be treated as inviscid flows, i.e., $\rho_A = \rho_E = \rho_T$. The fluid density can be cancelled from the above relation, therefore,

$$V_A A_A = V_E A_E = V_T A_T$$

Squaring the above equation, and multiplying through by $\rho/2$ yields

$$\frac{1}{2} \rho_A V_A^2 A_A^2 = \frac{1}{2} \rho_E V_E^2 A_E^2 = \frac{1}{2} \rho_T V_T^2 A_T^2$$

Lab#02: Wind Tunnel Calibration

Letting $q_A = \frac{1}{2} \rho_A V_A^2$, $q_E = \frac{1}{2} \rho_E V_E^2$ and $q_T = \frac{1}{2} \rho_T V_T^2$ result in

$$q_A A_A^2 = q_E A_E^2 = q_T A_T^2.$$

From which $q_A = q_E \frac{A_E^2}{A_A^2}$ and $q_E = q_T \frac{A_T^2}{A_E^2}$

Define:

$$C_2 = \frac{A_E^2}{A_A^2} \quad \text{and} \quad C_3 = \frac{A_T^2}{A_E^2}$$

Hence :

$$q_A = C_2 q_E \dots\dots\dots(3)$$

$$q_E = C_3 q_T \dots\dots\dots(4)$$

Using (3) and (4) into equation 2 yields :

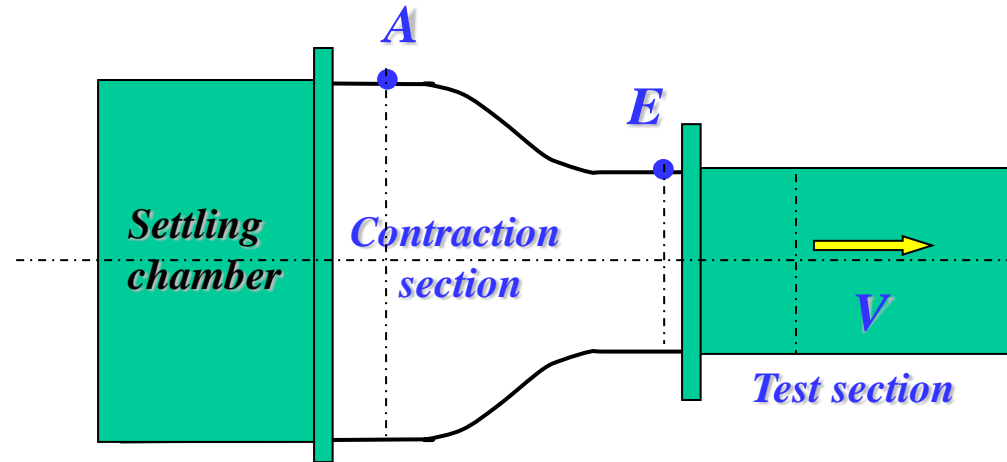
$$p_A - p_E = C_3 q_T + C_1 C_3 q_T - C_2 C_3 q_T = (1 + C_1 - C_2) C_3 q_T \quad (5)$$

Note: No assumptions have been made between E and T, i.e., $P_{0E} = P_{0T}$. Now, if $A_E = A_T$ then

$$C_3 = \frac{A_T^2}{A_E^2} = 1, \text{ and equation (5) reduces to } p_A - p_E = \Delta p = (1 + C_1 - C_2) q_T \text{ or } \Delta p = C q_T,$$

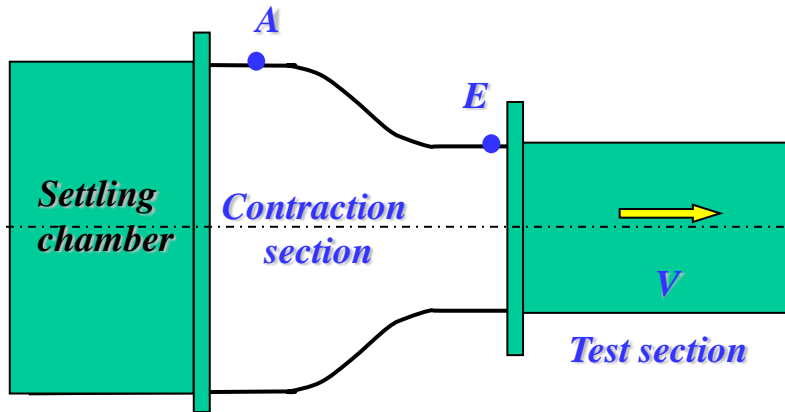
where C is determined by calibration. C_2 is determined by measuring areas. C_1 is calculated from $C_1 = C + C_2 - 1$.

$K = 1/C = q_T / \Delta p$ is defined as the wind tunnel calibration constant.

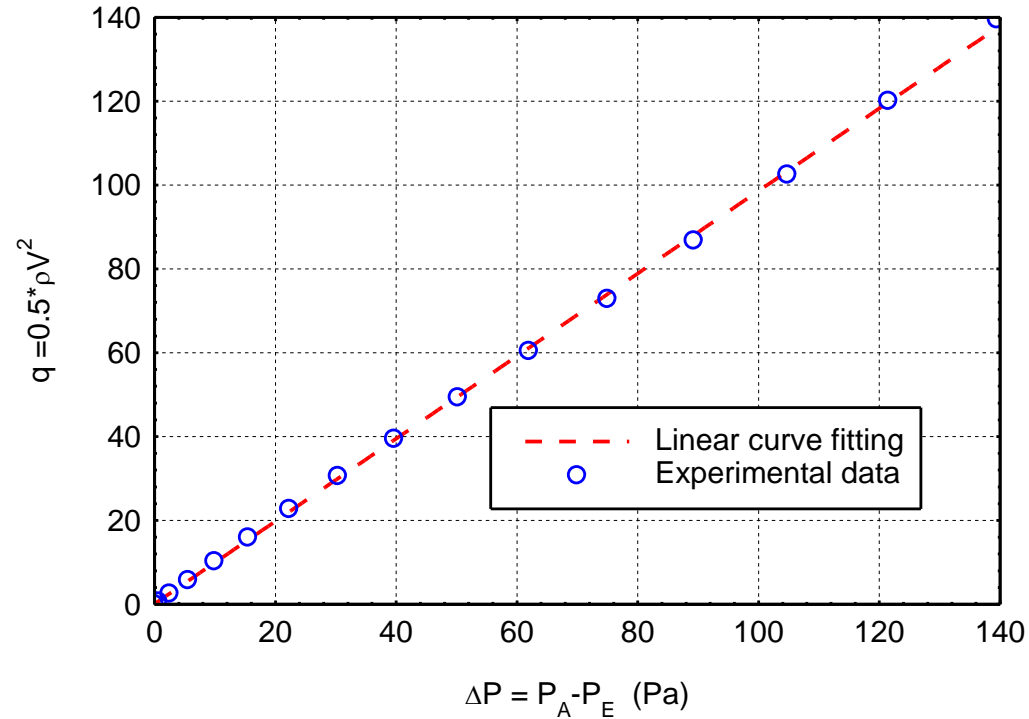


$$\begin{aligned} p_A - p_E &= \Delta p \\ &= C^* q_T \\ &= C^* \frac{1}{2} \rho V^2 \end{aligned}$$

Lab#02: Wind Tunnel Calibration



$$\begin{aligned} p_A - p_E &= \Delta p \\ &= C * q_T \\ &= C * \frac{1}{2} \rho V^2 \end{aligned}$$



Before you do the Labs...

- *Choose 1~2 member as the Lead Operators*
- *Bring you own flash drive for the data storage.*
- *Do not touch other research equipment's in the wind tunnel laboratory.*
- *Keep the wind tunnel laboratory clean and organized.*